BAO IN LYα-QUASAR CROSS-CORRELATIONS Ross O'Connell, Carnegie Mellon University

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WHY CROSS-CORRELATIONS?

- Each tracer has its own systematics, but they're probably not correlated with one another.
- Density of the forest allows us to make a BAO measurement with quasars, easier than doing quasar autocorrelation.
- Techniques should be easily applicable to (your favorite density field) x (your favorite point source)!

OVERVIEW

- Introduction to BAO
- Data sources
- A new estimator
- Covariance matrix
- Anisotropic fitting
- Systematic uncertainty

Taken from D. Eisenstein, https://www.cfa.harvard.edu/~deisenst/acousticpeak/acoustic_physics.html



Imagine a spherically symmetric overdensity

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Plasma and photons are strongly coupled

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Plasma and photons expand at $c_s \approx 0.57c$.

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After recombination, the photons are free to go

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And the baryons stop

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Gravity causes DM and gas to trace each other

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At late times, both distributions have a peak at ~150 Mpc

WHAT WE DO WITH BAO

- Position of the BAO peak is determined by simple physics – "standard ruler"
- Measurement constrains H(z)and $D_A(z)$.
- Feature is sharp a *relatively* easy measurement.

BOSS DRIO

- 102,684 quasars from DR10 (Paris et al.), 3,187 z<2.15 quasars from DR7 (Schneider et al.)
- 29,039,754 Lyα pixels
 (1080-1185Å)
- Simple measure of information density: $F(z) \propto N_{QSO}(z) \frac{W_{tot}(z)}{R^2(z)}$

FROM SPECTRA TO FOREST

- Identify absorption features in quasar spectra.
- To map out absorption, need to predict unabsorbed spectrum.
- We use PCA fits from Lee et al.

CORRECTING THE FOREST (1)

- Stack pixels at observed wavelength: foreground effect
- In addition to cross-correlating KG's original version of the forest, generate a second data set with $\langle \delta_F \rangle (z) = 0$

CORRECTING THE FOREST (2)

- Stack spectra at emitted wavelengths, bin by quasar magnitude – luminosity dependent fitting errors
- Third corrected data set: fix this, set $\langle \delta_F \rangle(z) = 0$

DD-DR ESTIMATOR

• Naive estimator:

 $\xi_{\rm DD} = \sum_{\rm QSOs} \frac{\sum W_i \delta_{F,i}}{\sum W_i}$

• New Term:

$$\xi_{\rm DR} = \sum_{\rm Random QSOs} \frac{\sum W_i \delta_{F,i}}{\sum W_i}$$

Improved Estimator

 $\xi_{\rm DD-DR} = \xi_{\rm DD} - \xi_{\rm DR}$

GENERATING "RANDOM" QUASARS

- Goal is to mimic density of quasar survey (not uniform)
- Our method: reassign observed redshifts and observed angular coordinates
- Result is small, probably nonzero

COVARIANCE MATRIX

- One approach: Bootstrap, regions are 72 discs of radius 10° (~600 Mpc/h at z=2)
- For each bootstrap realization, draw until $\sum w_i$ in range r=28-40 Mpc/h matches the DD crosscorrelation

COVARIANCE MATRIX

- Alternative approach: use different realizations of the DR correlator.
- Pros: Can generate many different sets of random QSOs, compute correlator reliably to large distances (e.g. 200 Mpc/h)
- Cons: Covariance matrix will be missing contribution from QSO autocorrelation

COVARIANCE MATRIX

Comparison of Covariance Matrices (0-0)

MONOPOLE AND QUADRUPOLE

ANISOTROPIC FITTING

Basic ansatz for cross-correlations:

$$P_{\rm cross} = \sqrt{P_{\rm Ly\alpha}P_{\rm QSO}}$$

- Basic approach from Xu et al. '12: Linear theory + Kaiser effect + non-linear broadening
- Deviations from Planck cosmology parametrized by

$$r_{\parallel} = \alpha (1+\epsilon)^2 r_{\parallel,\text{obs}}, r_{\perp} = \frac{\alpha}{1+\epsilon} r_{\perp,\text{obs}}$$

• Account for systematics using polynomials $A_{\ell}(r) = \frac{a_{\ell,0}}{r^2} + \frac{a_{\ell,1}}{r} + a_{\ell,2}$

$\alpha - \epsilon$ FITTING: FOUR FORESTS

No Corrections

 $\left< \delta_F \right> (z) = 0$

Mean Transmission Correction

ω

r

Luminosity dependent corrections, and $\langle \delta_F \rangle (z) = 0$

AVERAGED LIKELIHOOD SURFACE

- How do we interpret these likelihood surfaces?
- Our guess: systematic uncertainty associated with continuum fitting.
- Average together likelihood surfaces to get a result that incorporates this uncertainty.
 Sys ~ 0.5 x Stat

 $\alpha_{\perp} = (D_A/r_s)/(D_A/r_s)_{\rm fid}$